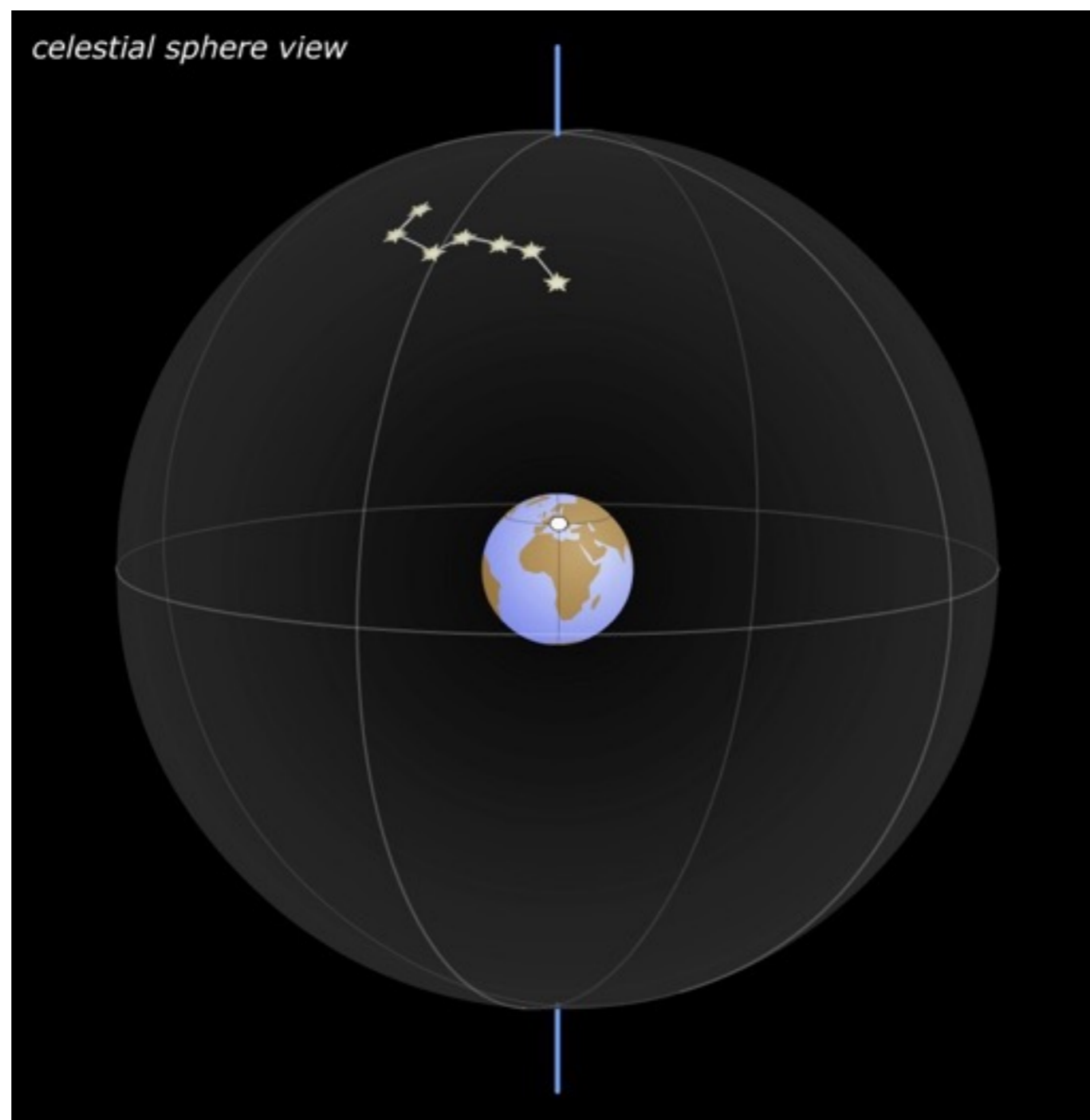


Osnove orientacije na nebu

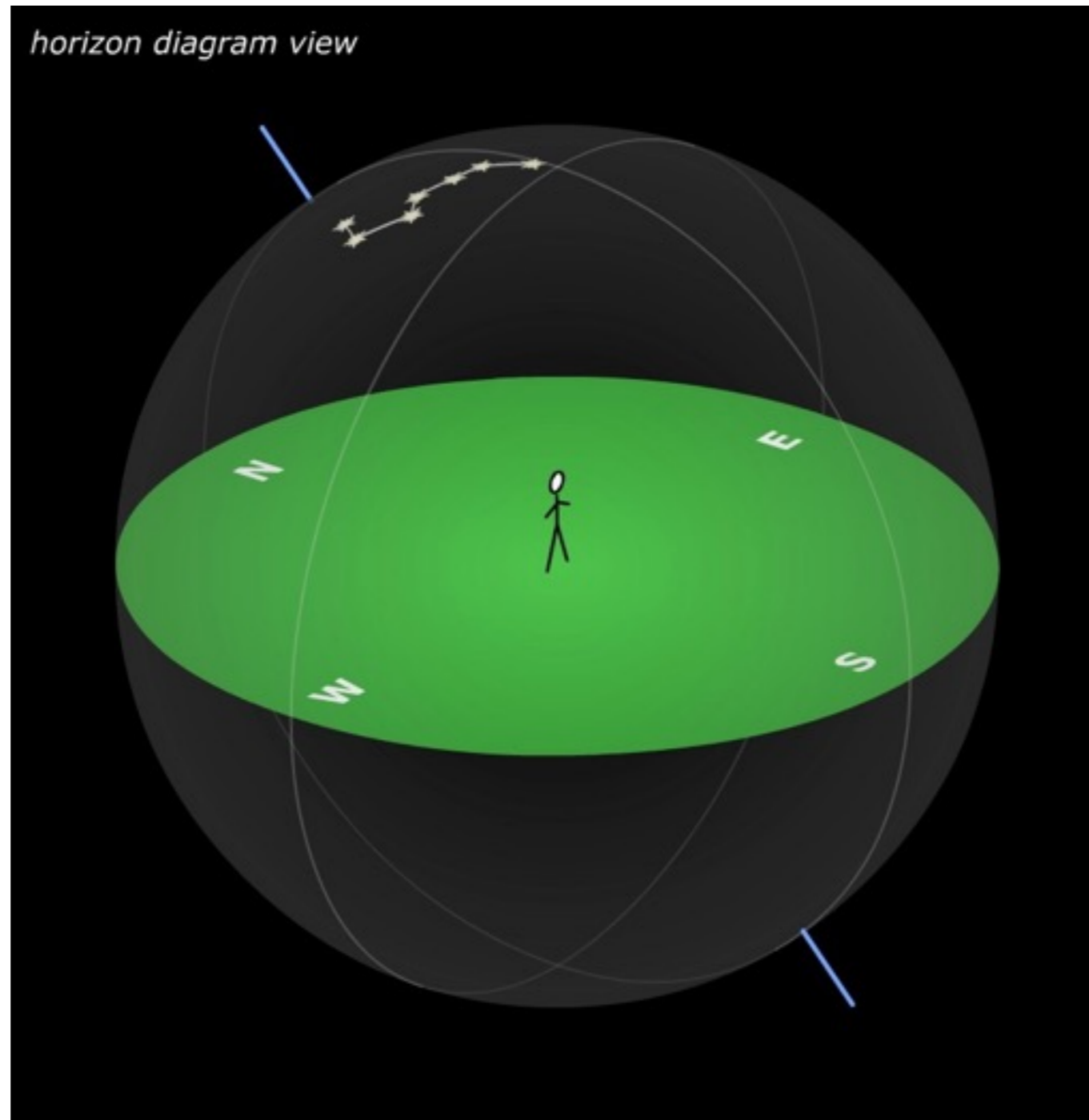
Andreja Gomboc
Fakulteta za naravoslovje
Univerza v Novi Gorici



nebesna krogla

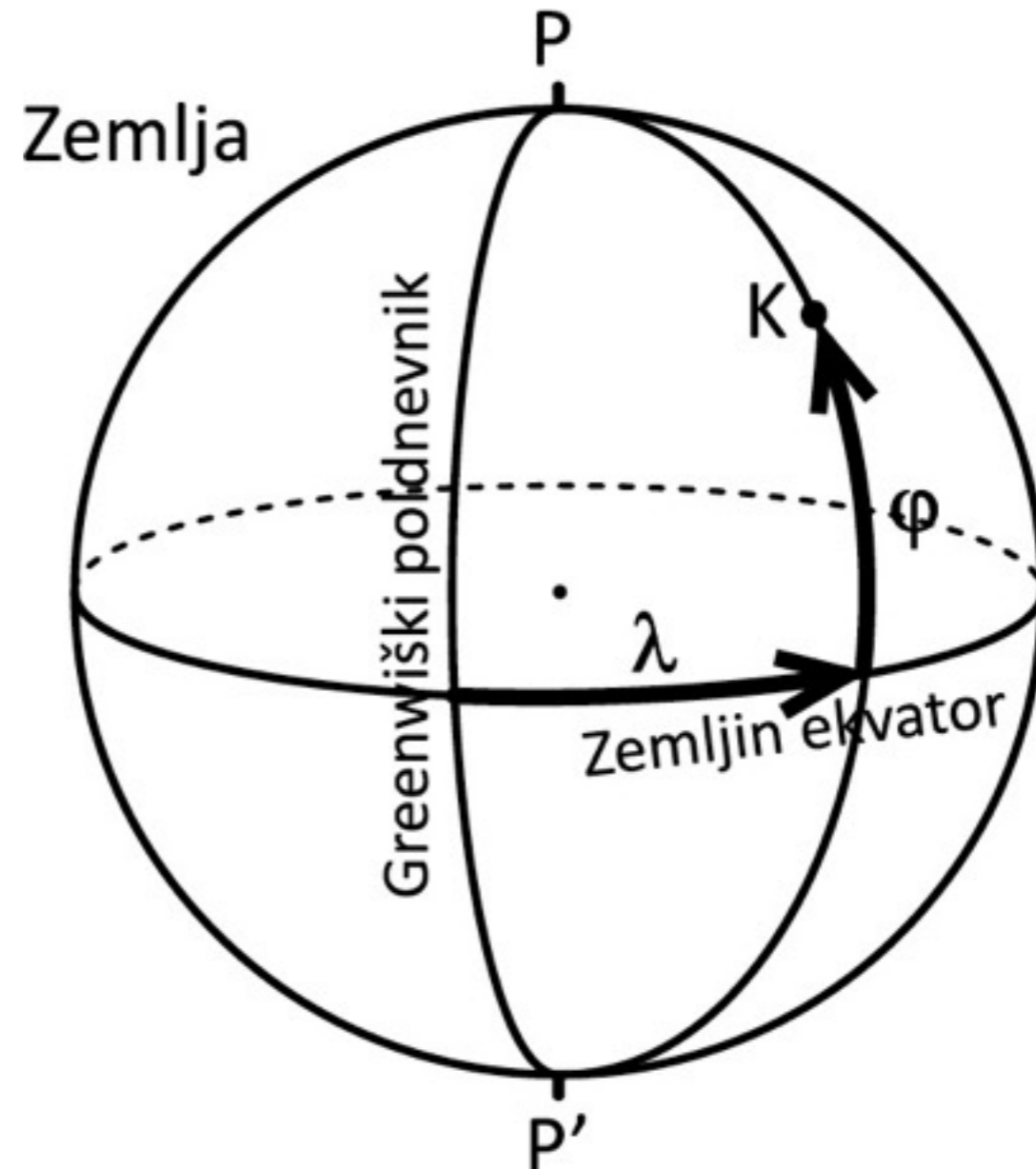


nebesna krogla - pogled opazovalca na Zemlji



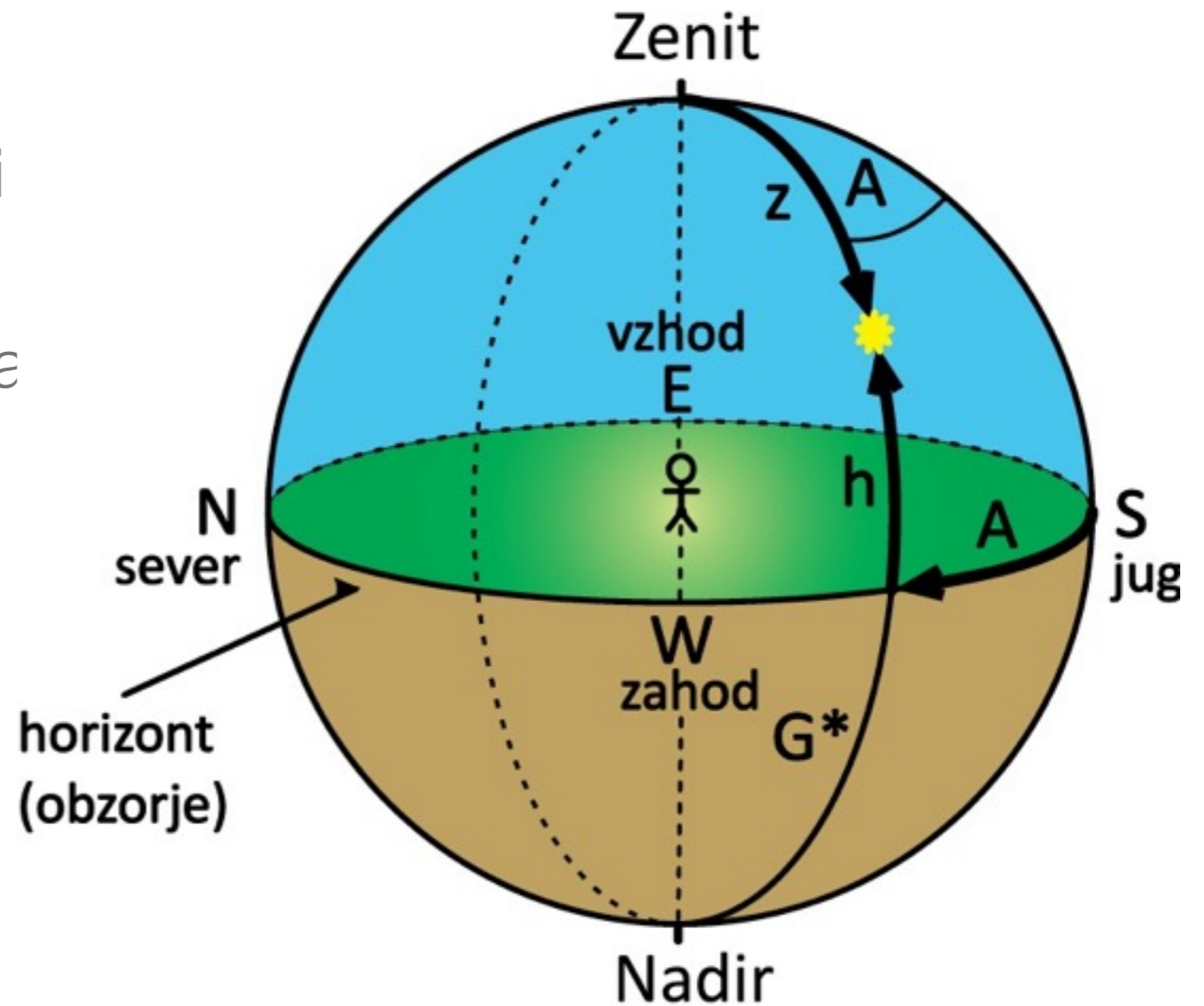
opis položaja na krogli - primer: Zemlja

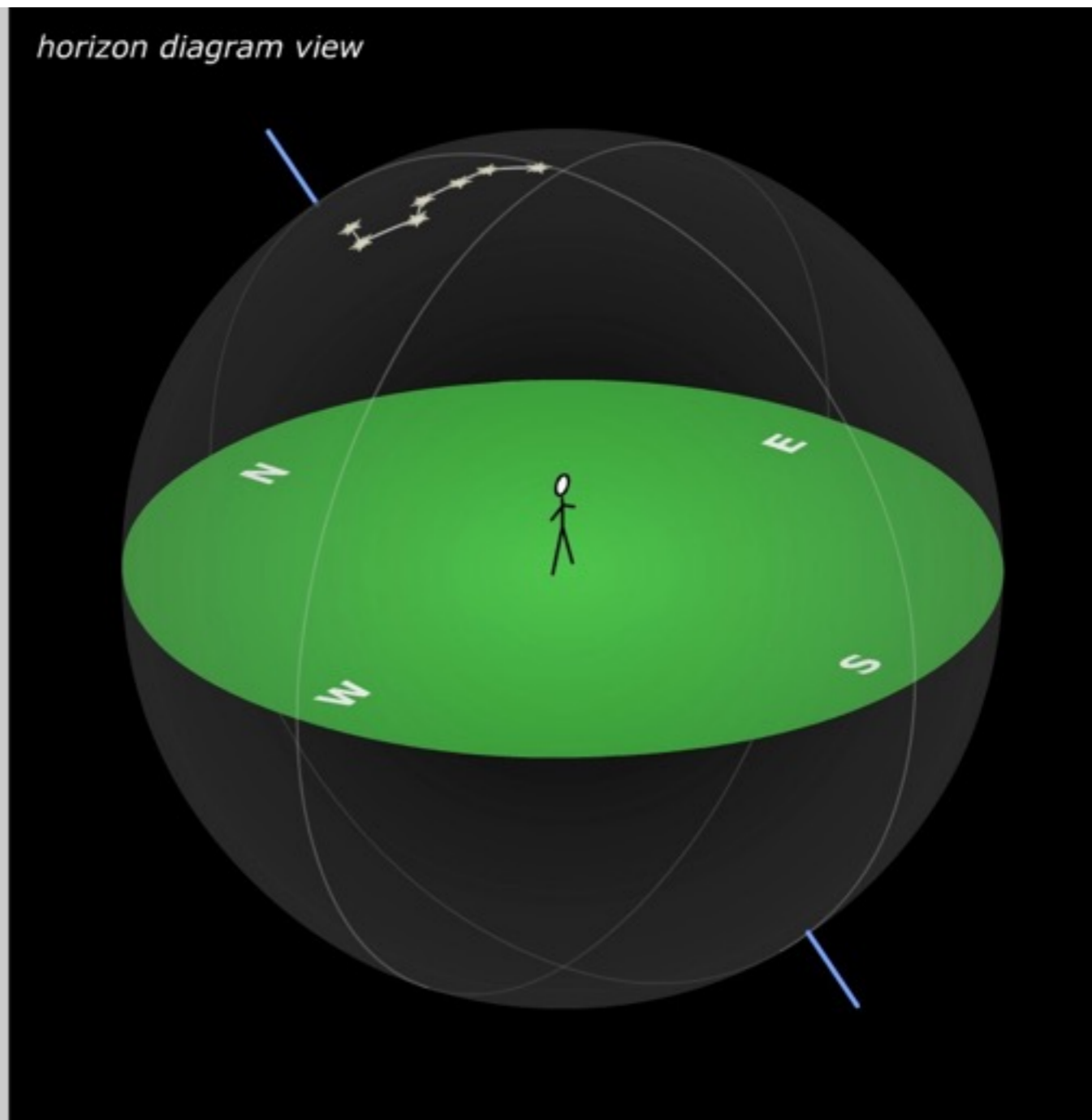
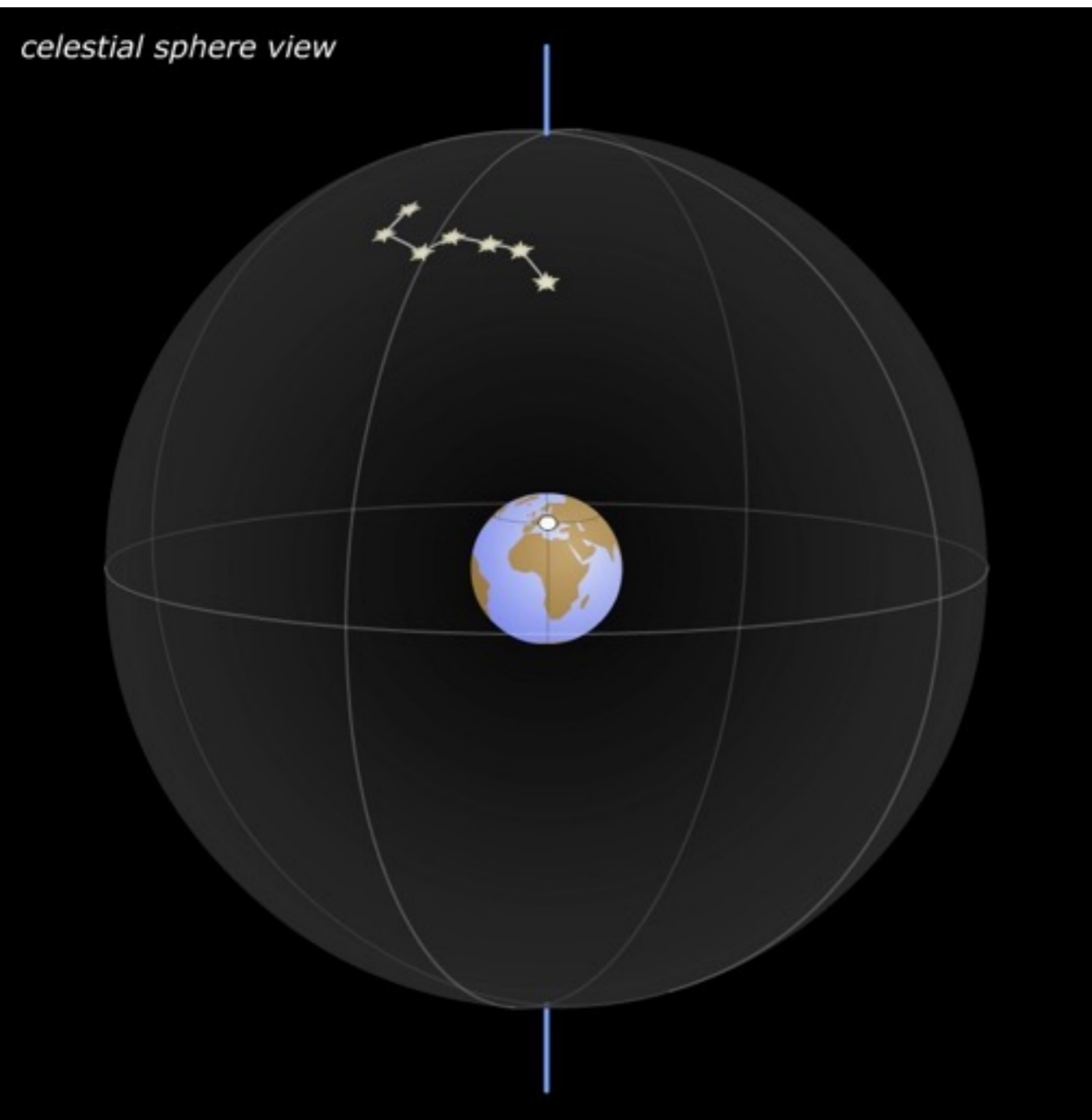
- severni in južni Zemljin pol
- Zemljin ekvator
- Greenwiški poldnevnik
- zemljepisna dolžina λ
- zemljepisna širina ϕ



opis položaja na nebesni krogli - horizontalni sistem

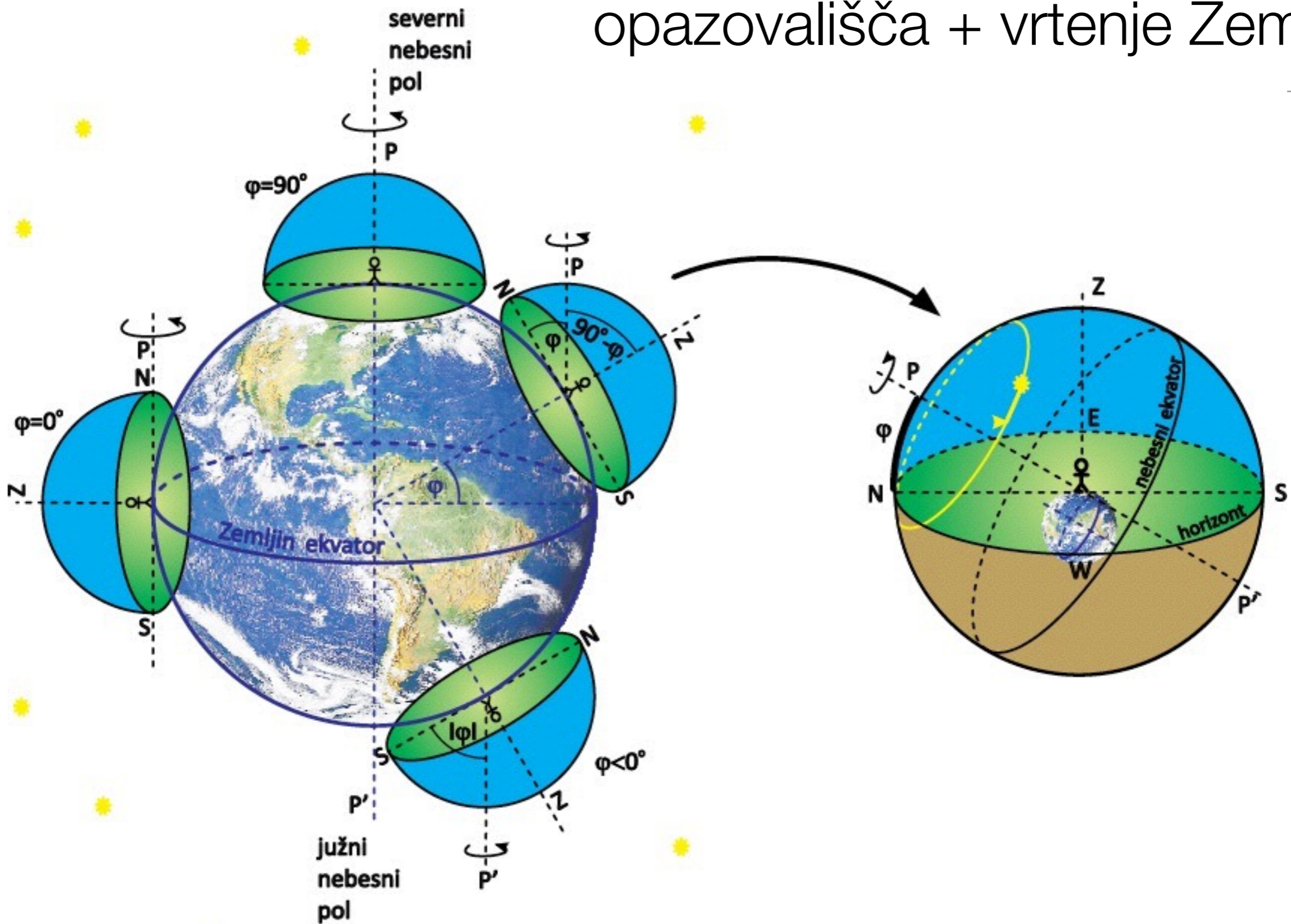
- zenit in nadir
- horizont
- nebesni poldnevnik (proti
- azimut A
- višina h (oz. zenitna razdalja





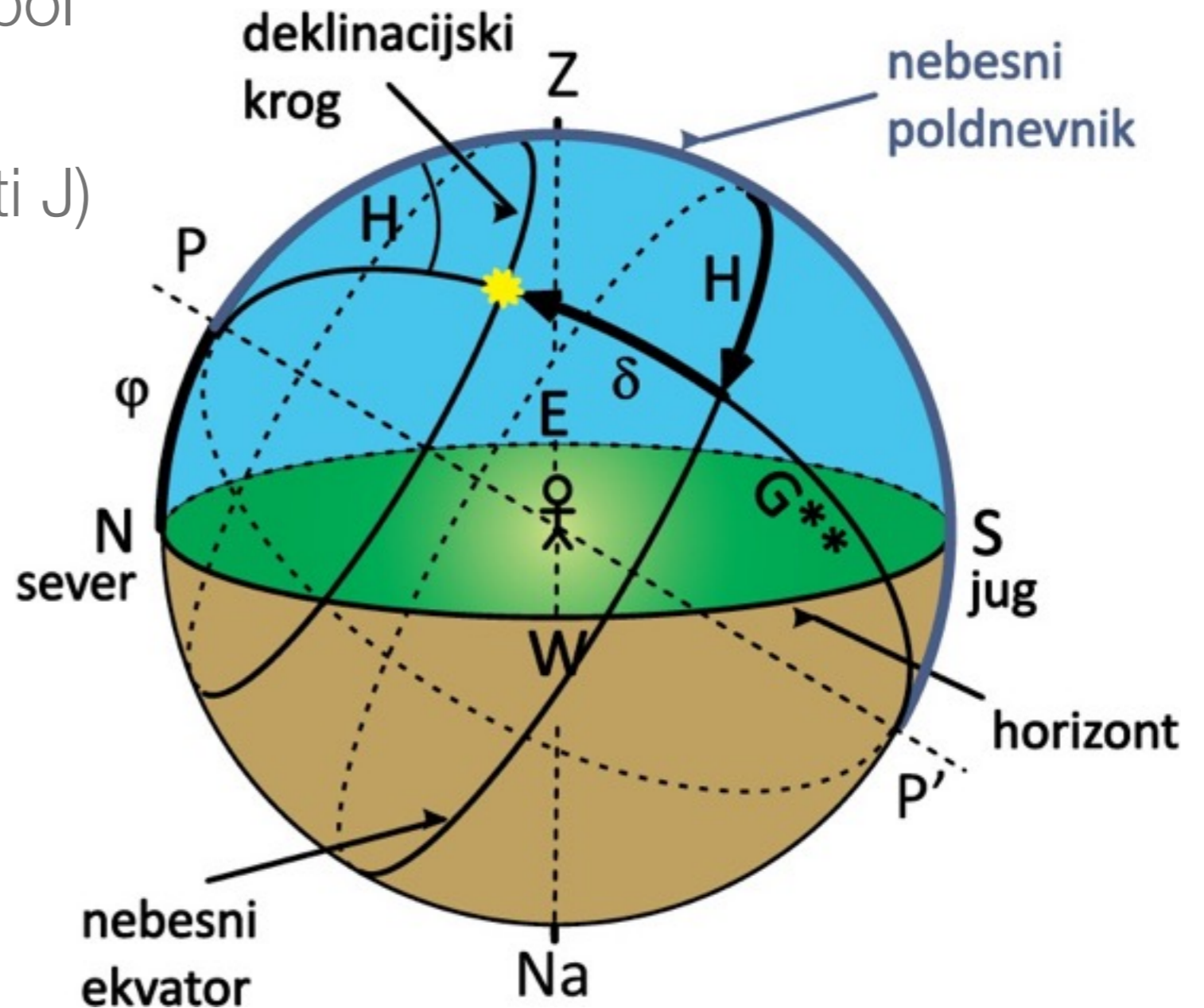
animacija: http://astro.unl.edu/naap/motion2/animations/ce_hc.html

opazovališča + vrtenje Zemlje



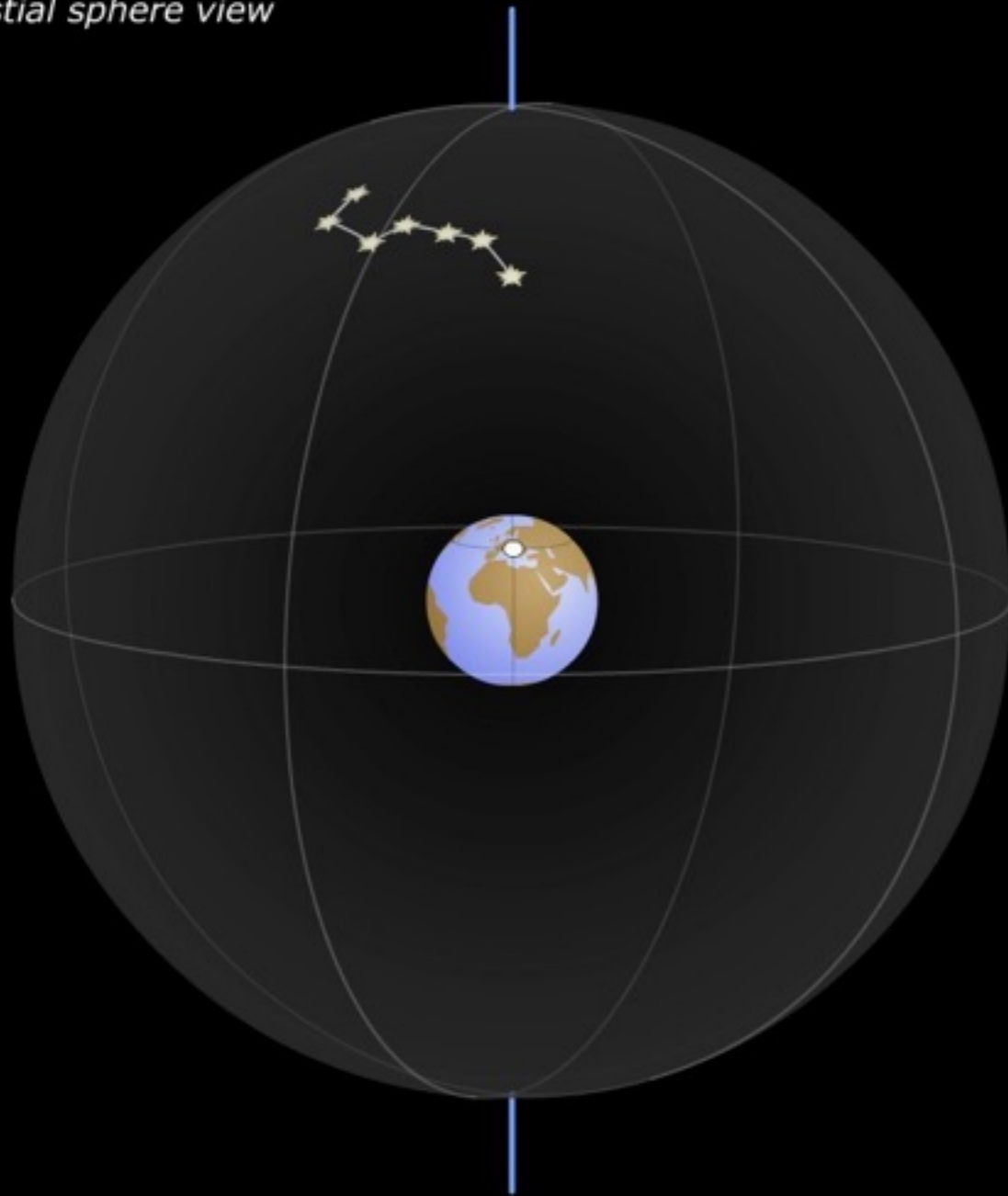
opis položaja na nebesni krogli - ekvatorski sistem 1

- severni in južni nebesni pol
- nebesni ekvator
- nebesni poldnevnik (proti J)
- časovni kot H
- deklinacija δ
- časovni kot H narašča linearno s časom

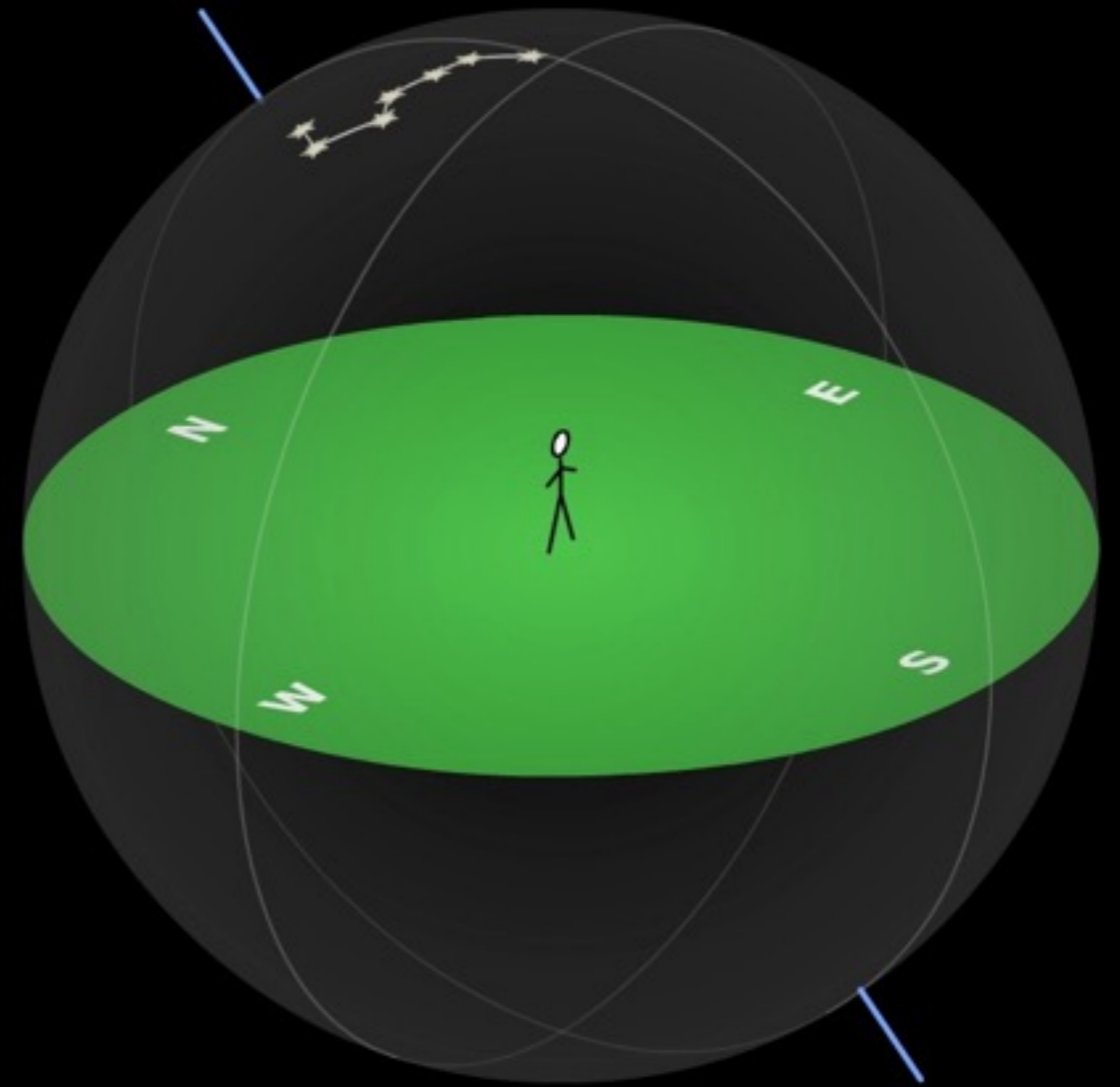


navidezno dnevno gibanje zvezd

celestial sphere view



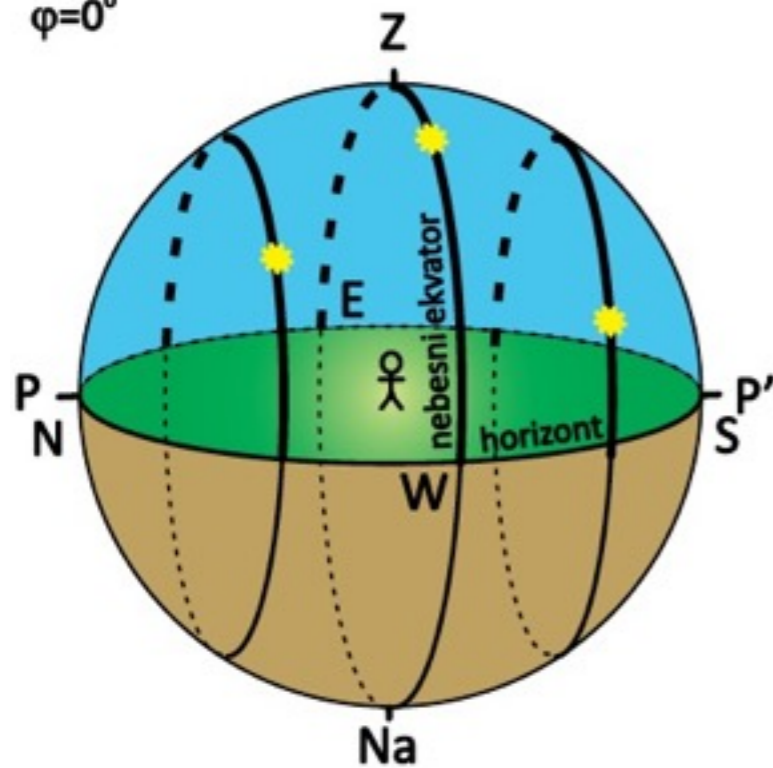
horizon diagram view



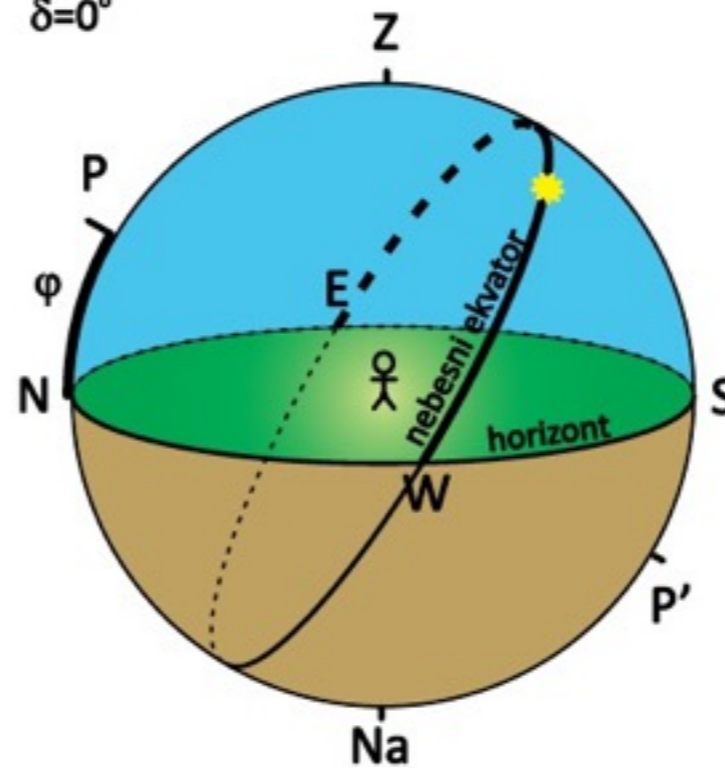
animacija: http://astro.unl.edu/naap/motion2/animations/ce_hc.html

navidezno gibanje zvezd iz različnih opazovališč

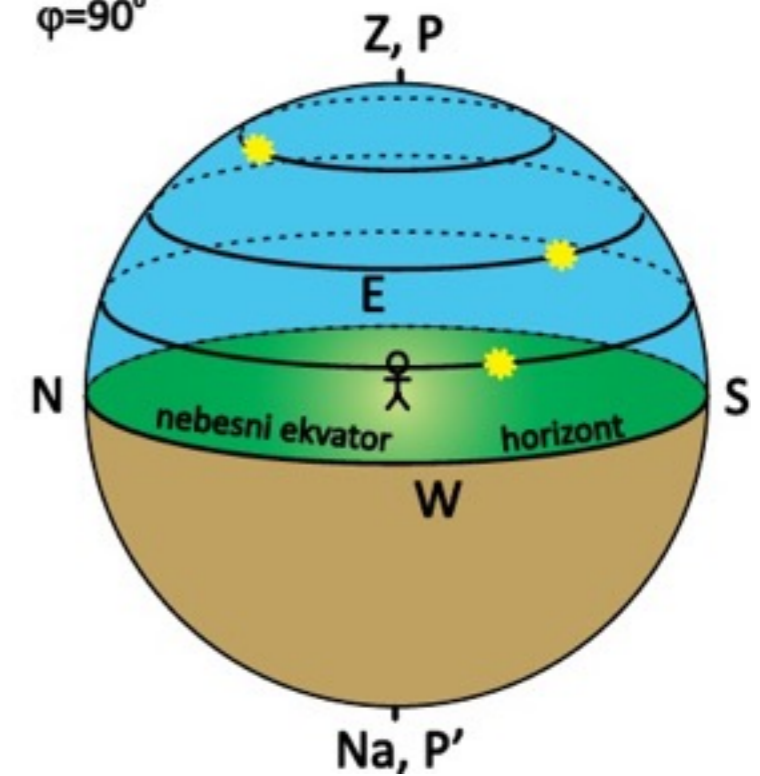
opazovalec na Zemljinem ekvatorju
 $\varphi=0^\circ$



zvezda na nebesnem ekvatorju
 $\delta=0^\circ$



opazovalec na Zemljinem polu
 $\varphi=90^\circ$

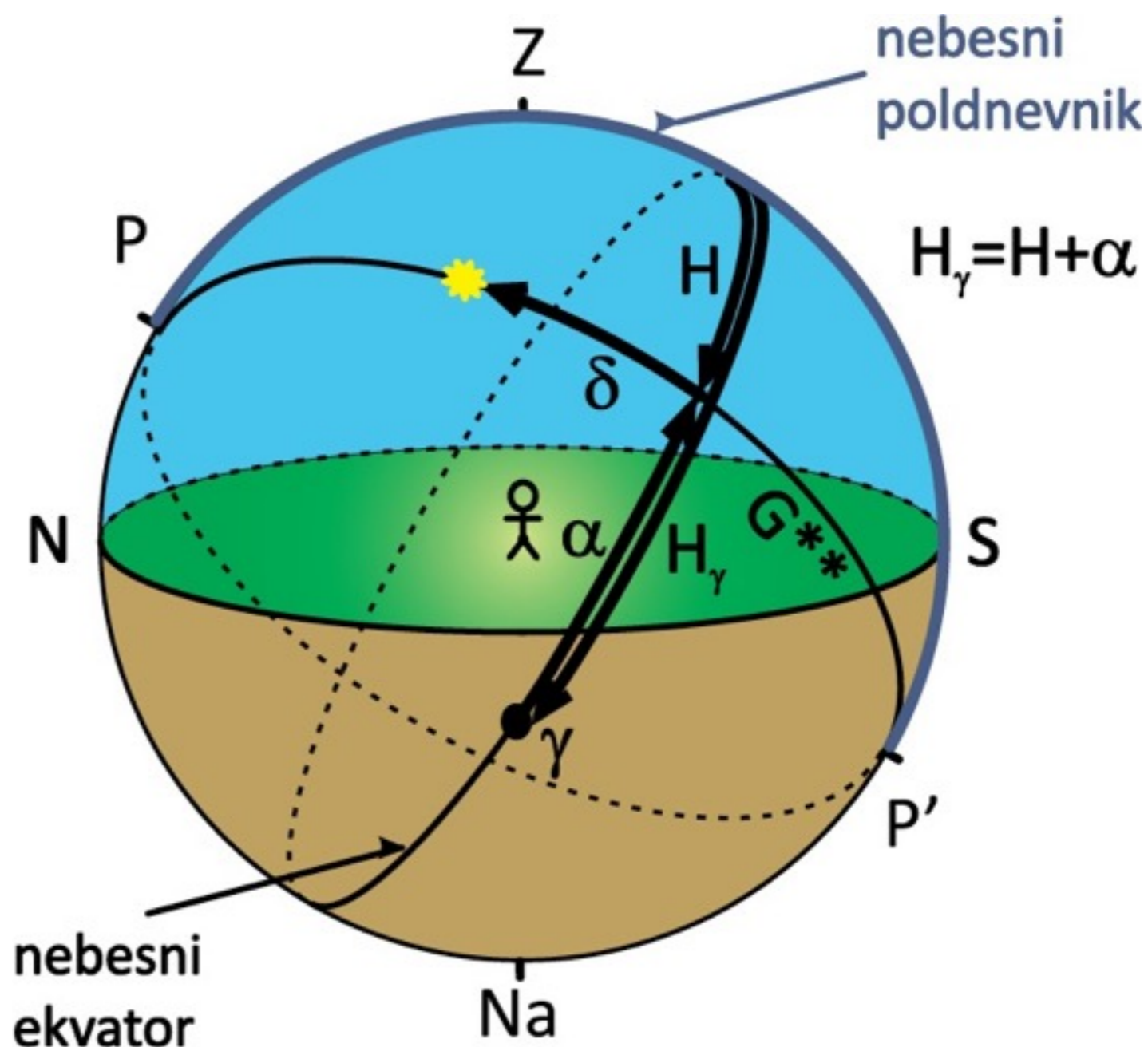


opis položaja na nebesni krogli - ekvatorski sistem 2

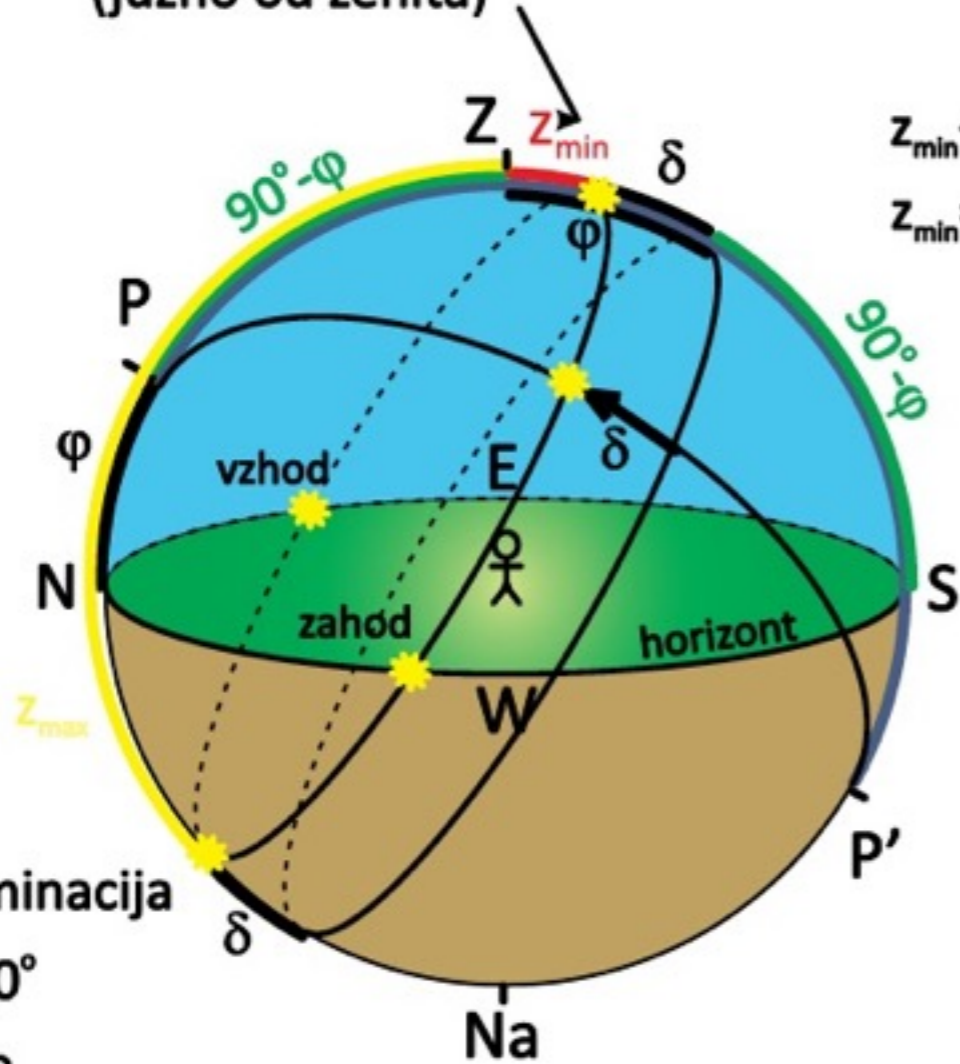
- severni in južni nebesni pol
- nebesni ekvator
- pomladišče - točka gama
- rektascenzija alfa
- deklinacija δ

rektascenzija in deklinacija zvezd nista odvisni od opazovališča in časa*

* če ne upoštevamo lastnega gibanja zvezd



zgornja kulminacija
(južno od zenita)



$$z_{\min} + \delta + 90^\circ - \varphi = 90^\circ$$

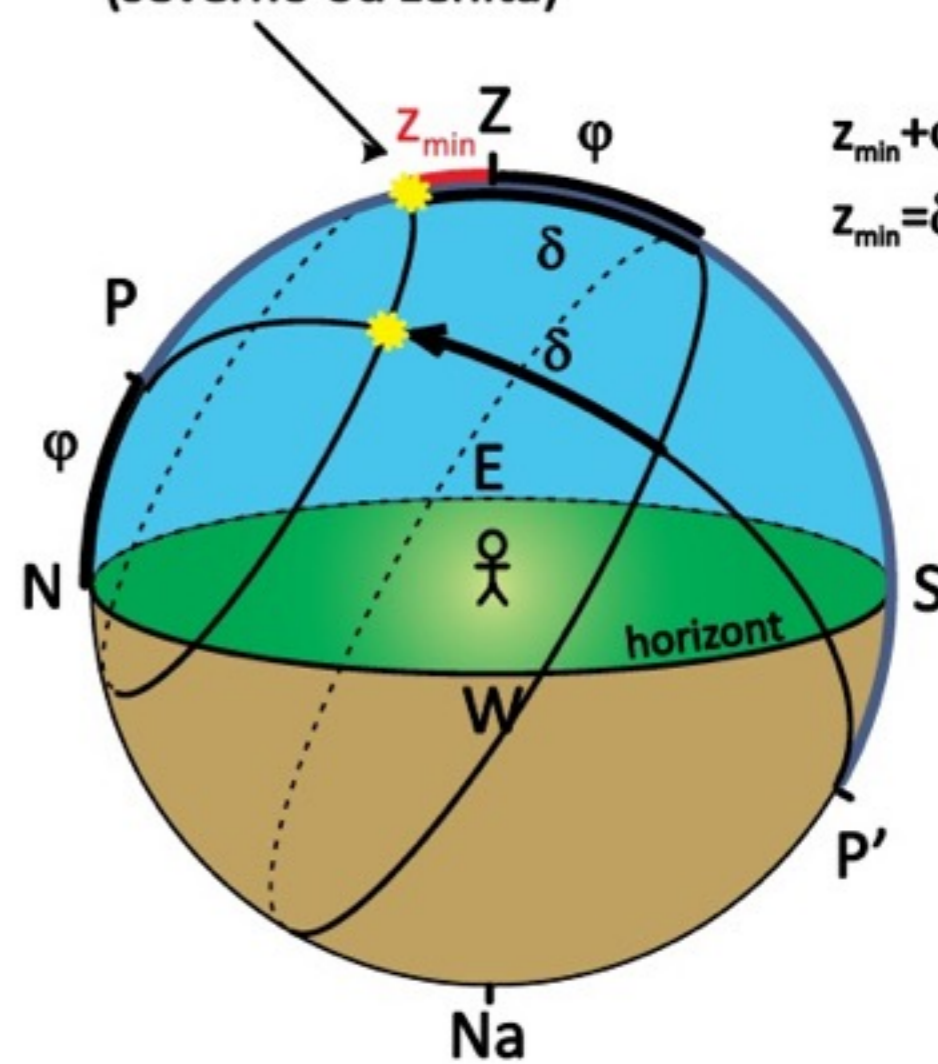
$$z_{\min} = \varphi - \delta$$

spodnja kulminacija

$$\delta + z_{\max} + \varphi = 180^\circ$$

$$z_{\max} = 180^\circ - \delta - \varphi$$

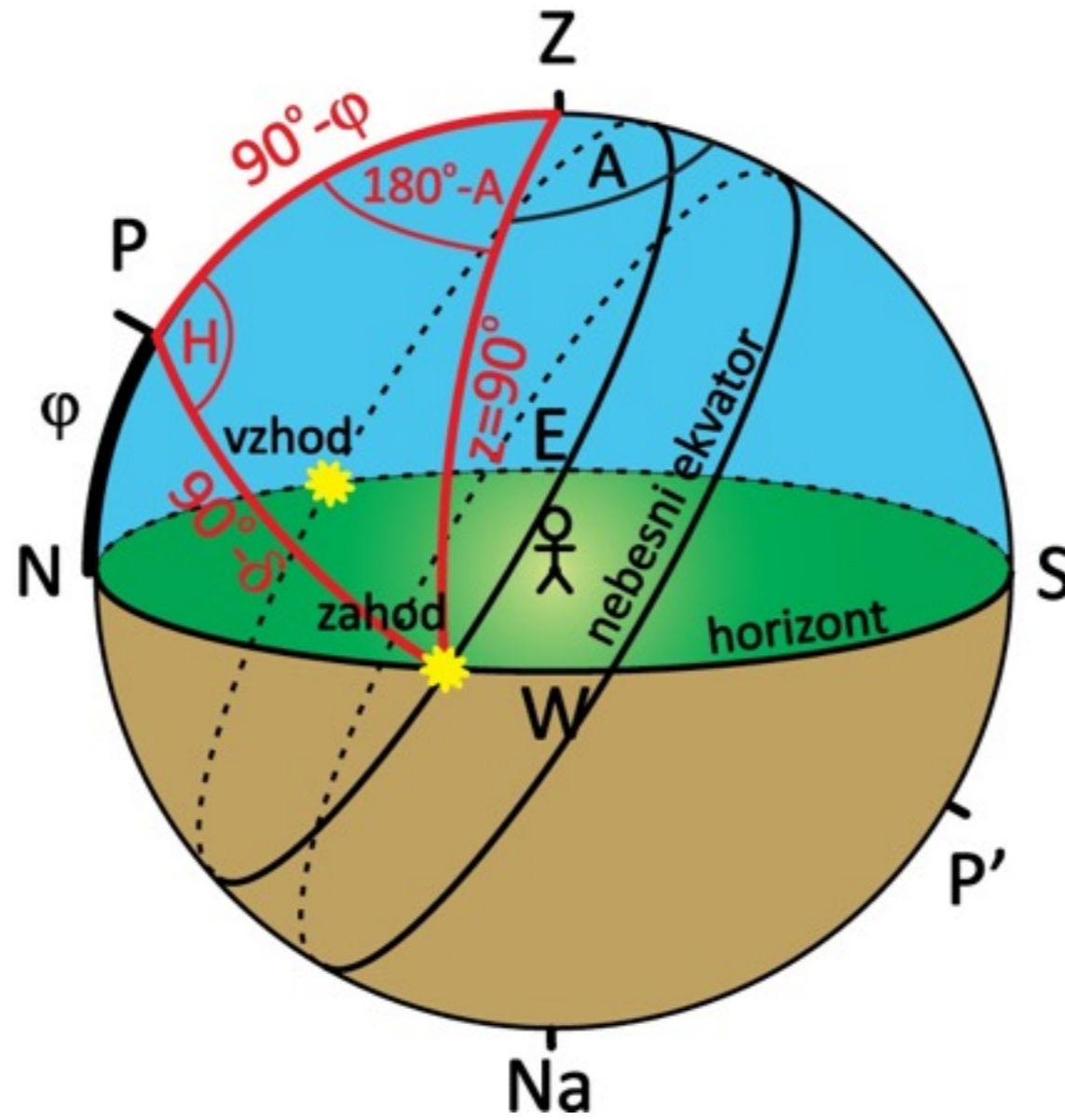
zgornja kulminacija
(severno od zenita)



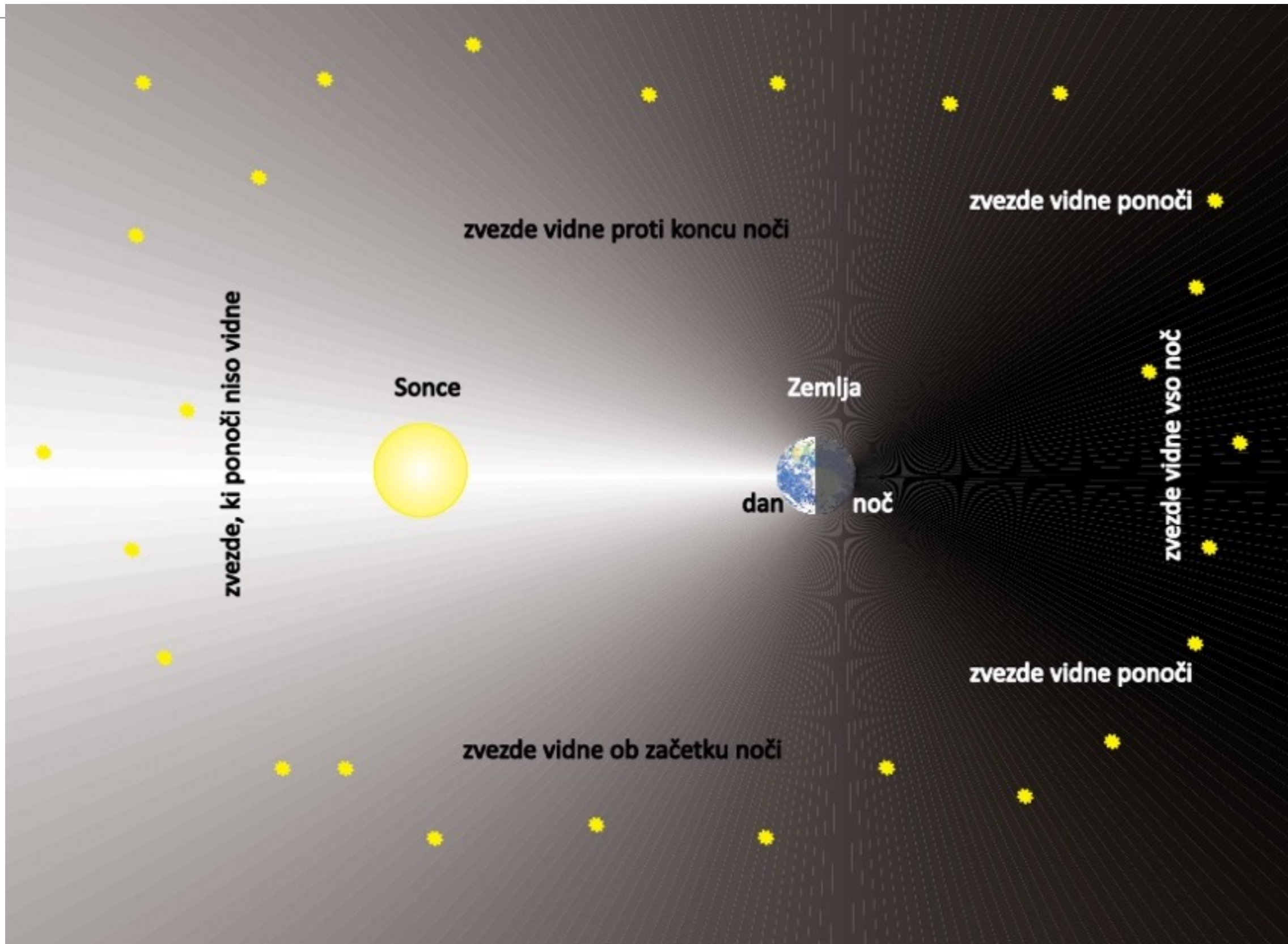
$$z_{\min} + \varphi = \delta$$

$$z_{\min} = \delta - \varphi$$

zahod



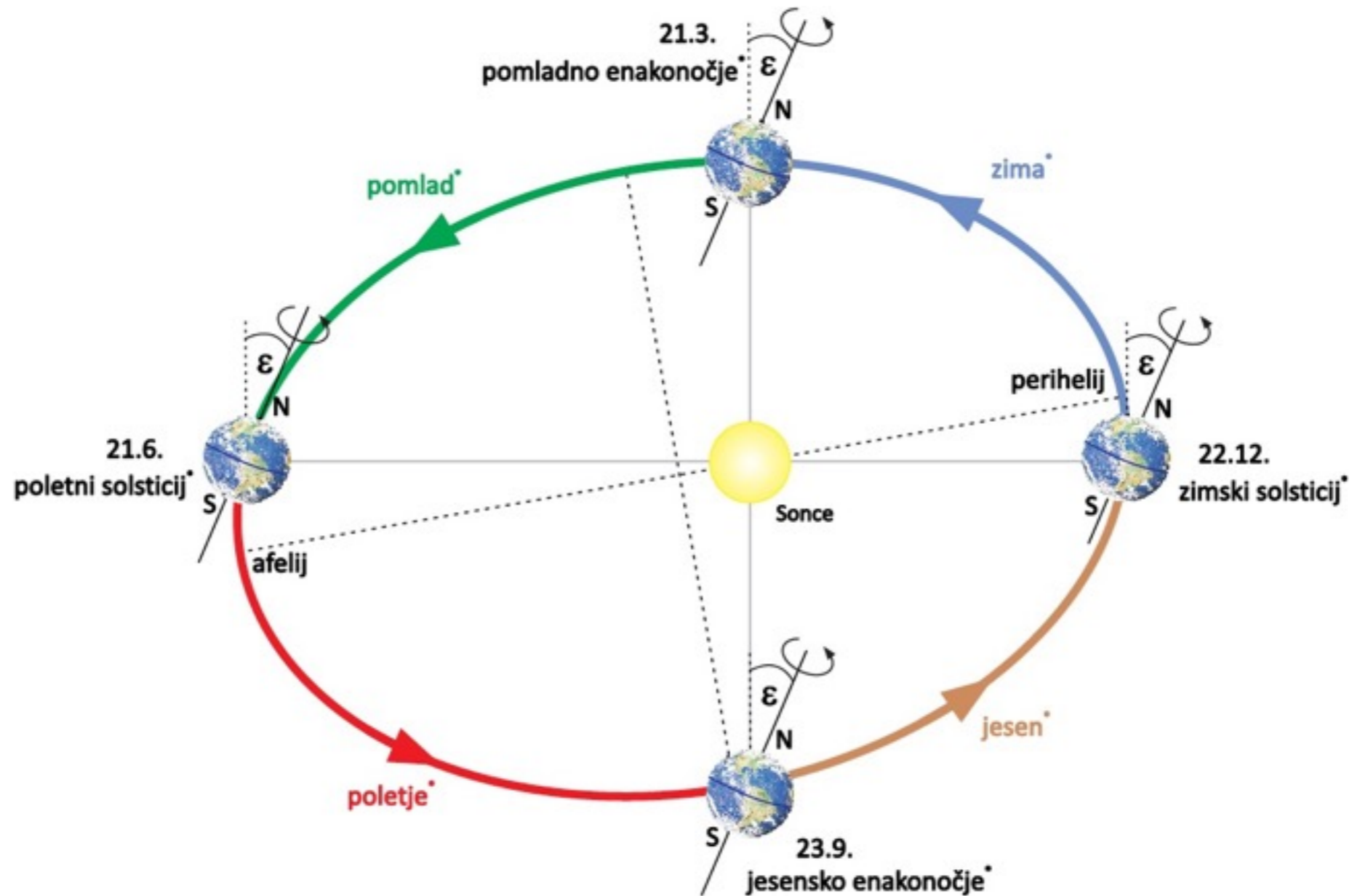
letno spreminjanje nočnega neba



gibanje Sonca

- **dnevno** - podobno kot za zvezde - navidezno kroži okoli nebesnega pola (zaradi vrtenja Zemlje): vzide, kulminira, zaide...
- **letno** - drugačno, zaradi gibanja Zemlje okoli Sonca

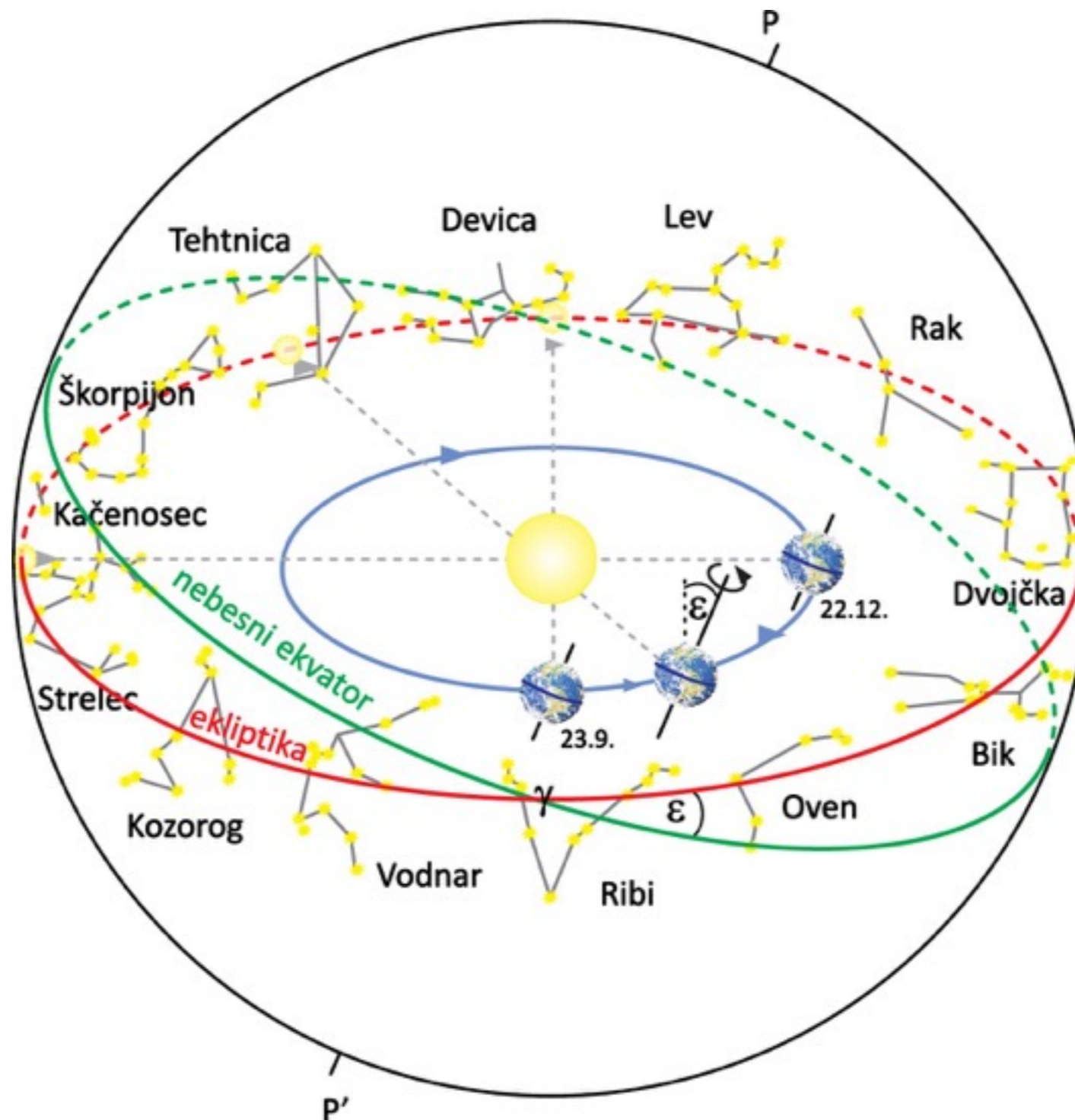
gibanje Zemlje okoli Sonca



* velja za severno poloblo, na južni je obratno

animacija smer žarkov: http://astro.unl.edu/naap/motion1/animations/seasons_ecliptic.html

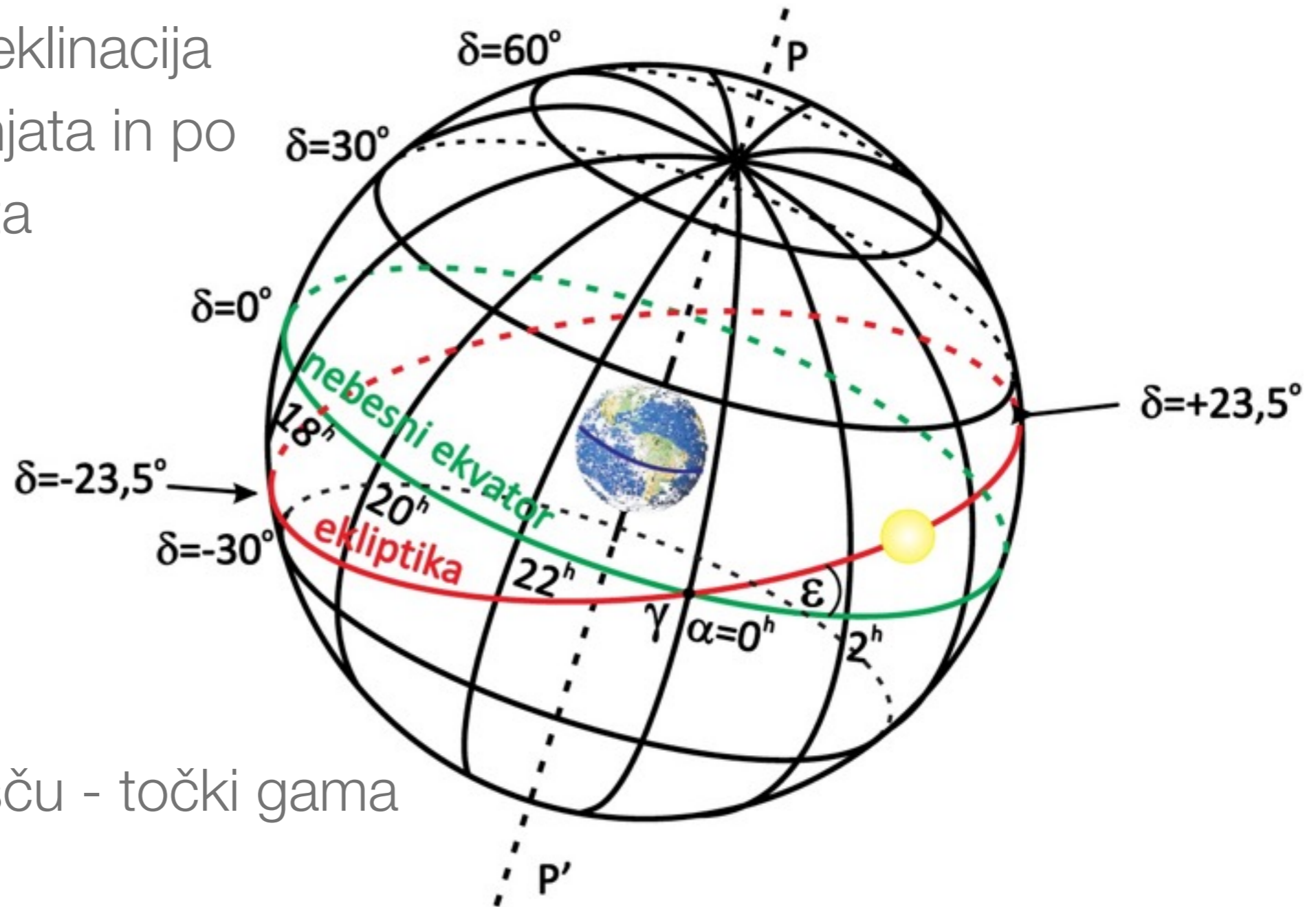
ekliptika - ozvezdja živalskega kroga



Sonce navidezno potuje po ekliptiki

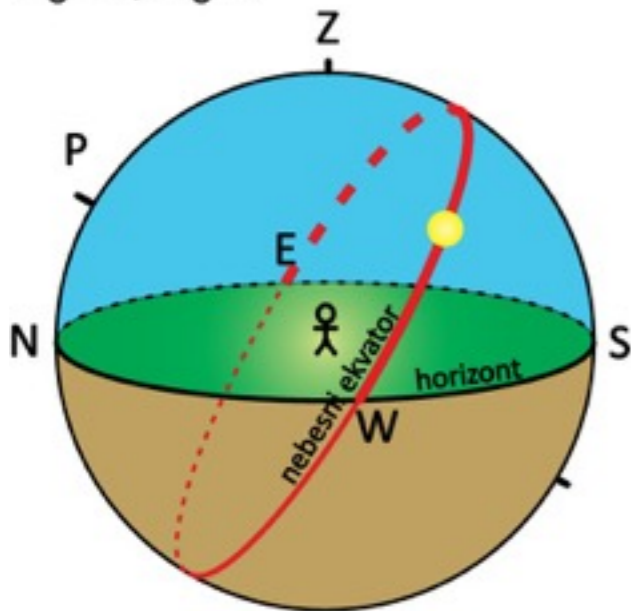
rektascenzija in deklinacija
Sonca se spreminjata in po
enem letu ponovita

ob pomladnem
enakonočju je
Sonce v pomladišču - točki gama

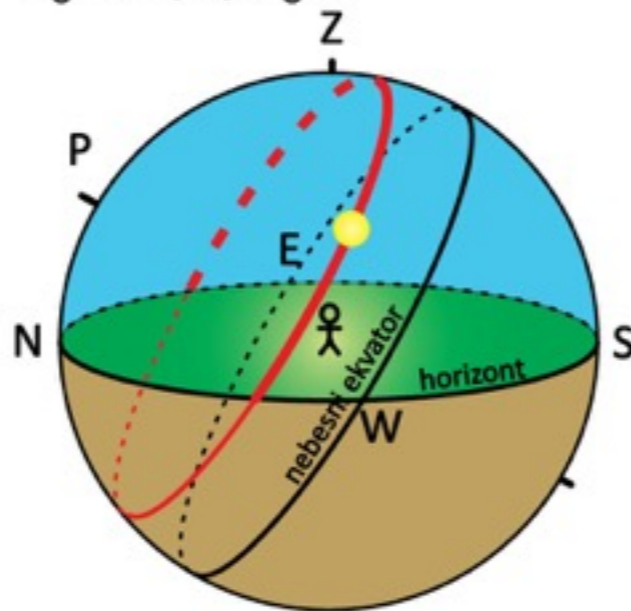


višina Sonca nad obzorjem in dolžina dneva

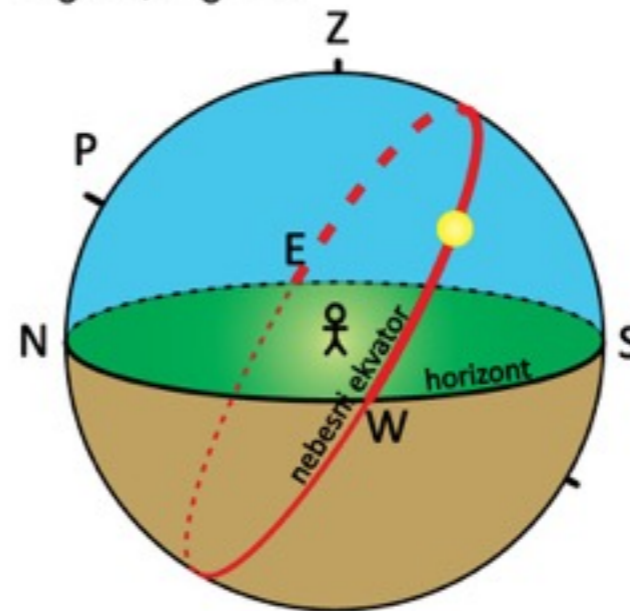
21. 3.
 $\delta_{\odot}=0^{\circ}, \alpha_{\odot}=0^h$



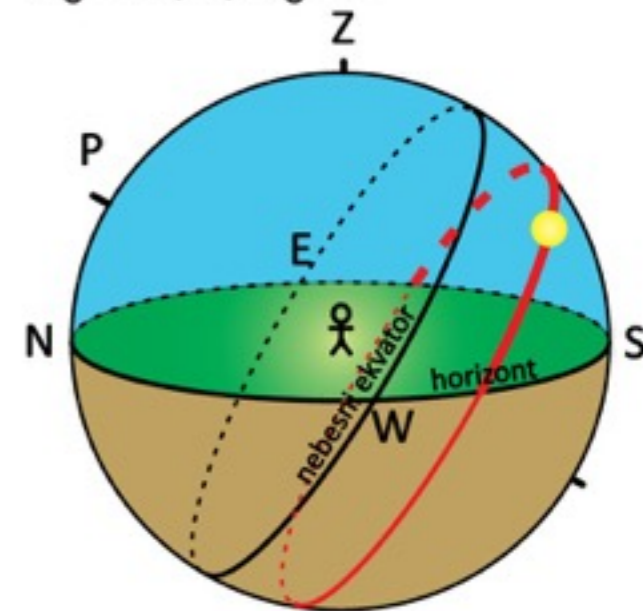
21. 6.
 $\delta_{\odot}=+23,5^{\circ}, \alpha_{\odot}=6^h$



23. 9.
 $\delta_{\odot}=0^{\circ}, \alpha_{\odot}=12^h$



22. 12.
 $\delta_{\odot}=-23,5^{\circ}, \alpha_{\odot}=18^h$



animacija: <http://astro.unl.edu/naap/motion3/animations/sunmotions.html>

višina Sonca, dolžina dneva, smer in dolžina sence

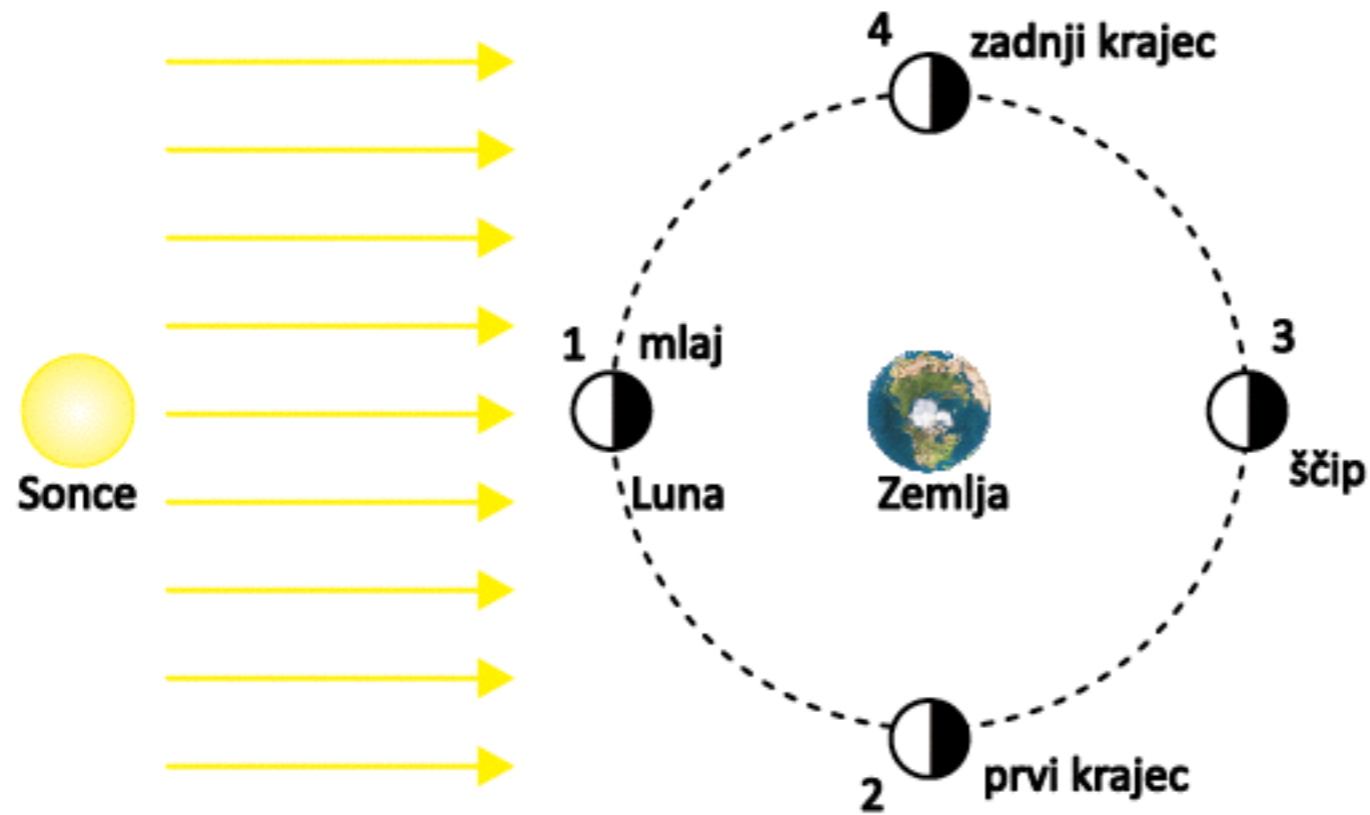
- animacije University of Nebraska-Lincoln:

animacija: <http://astro.unl.edu/naap/motion3/animations/sunmotions.html>

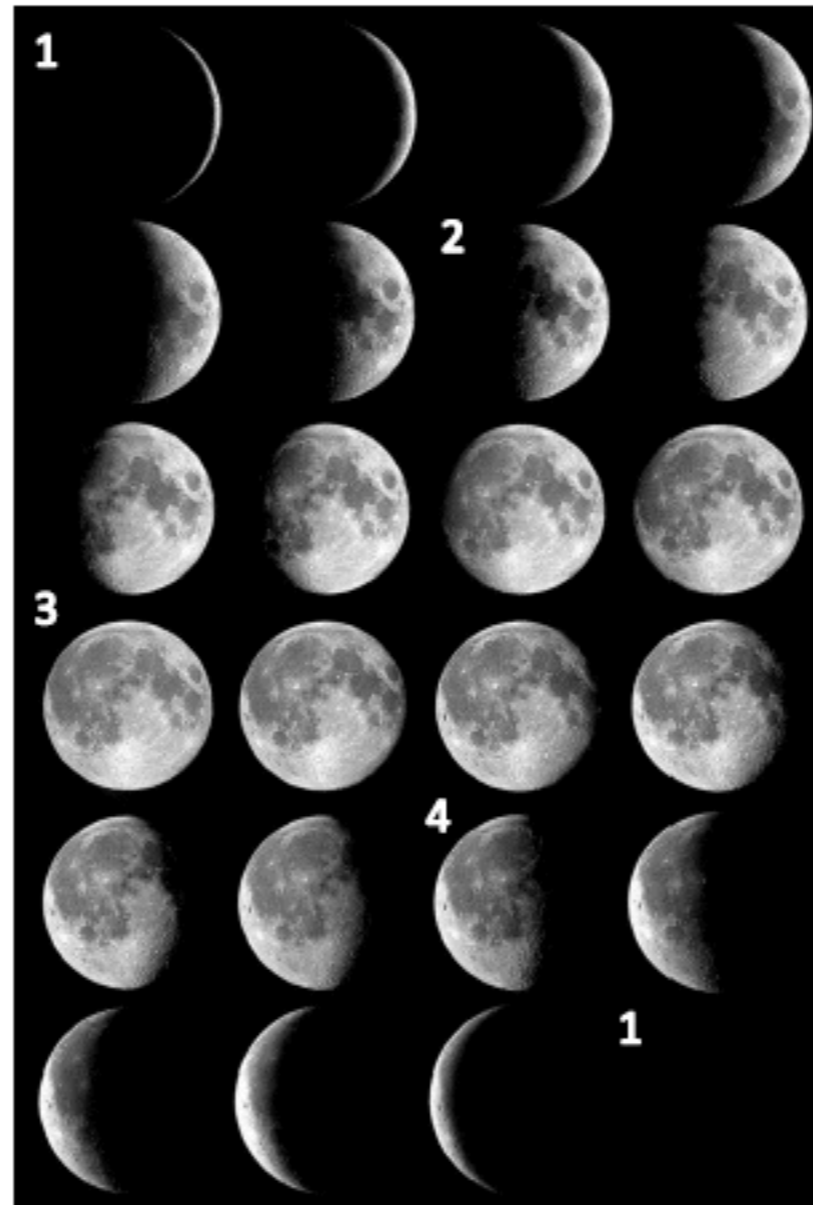
poskusite tudi sami in spreminjajte:

- dan v letu
- kraj opazovališča
- ...
- položaj Sonca na nebu ob 12:00 po lokalnem času

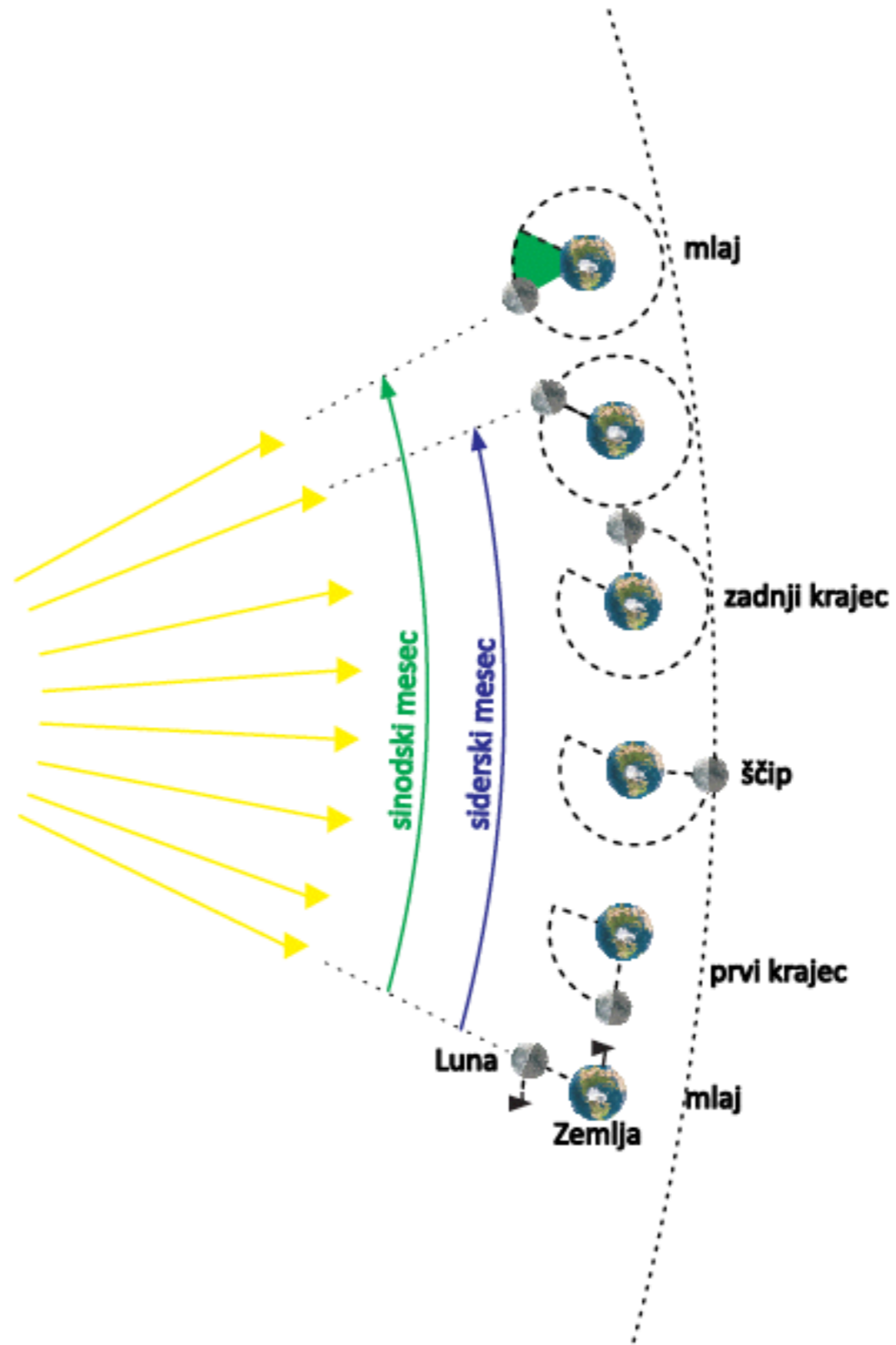
apparent motion of the Moon



Moon phases



videz Lune na Zemljini severni polobli



mlaj

zadni krajec

ščip

prvi krajec

mlaj

Luna

Zemlja

sinodski mesec

siderski mesec

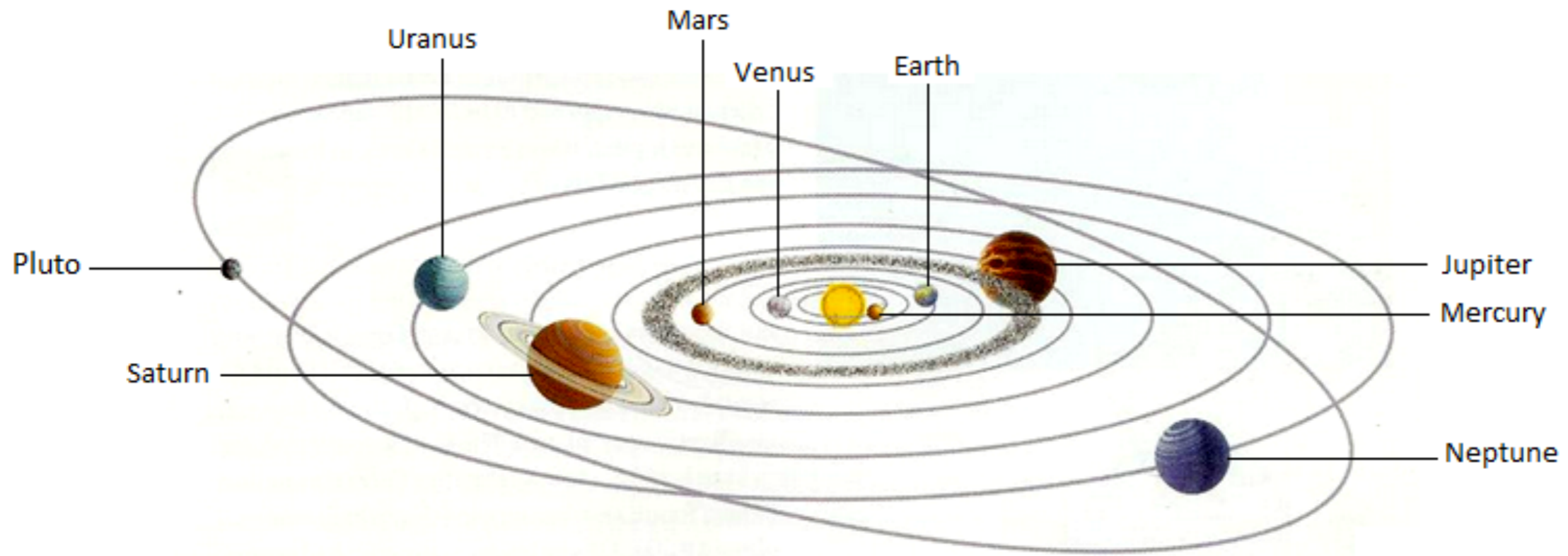
relation between sidereal (P^*) and synodic(P^S)
period

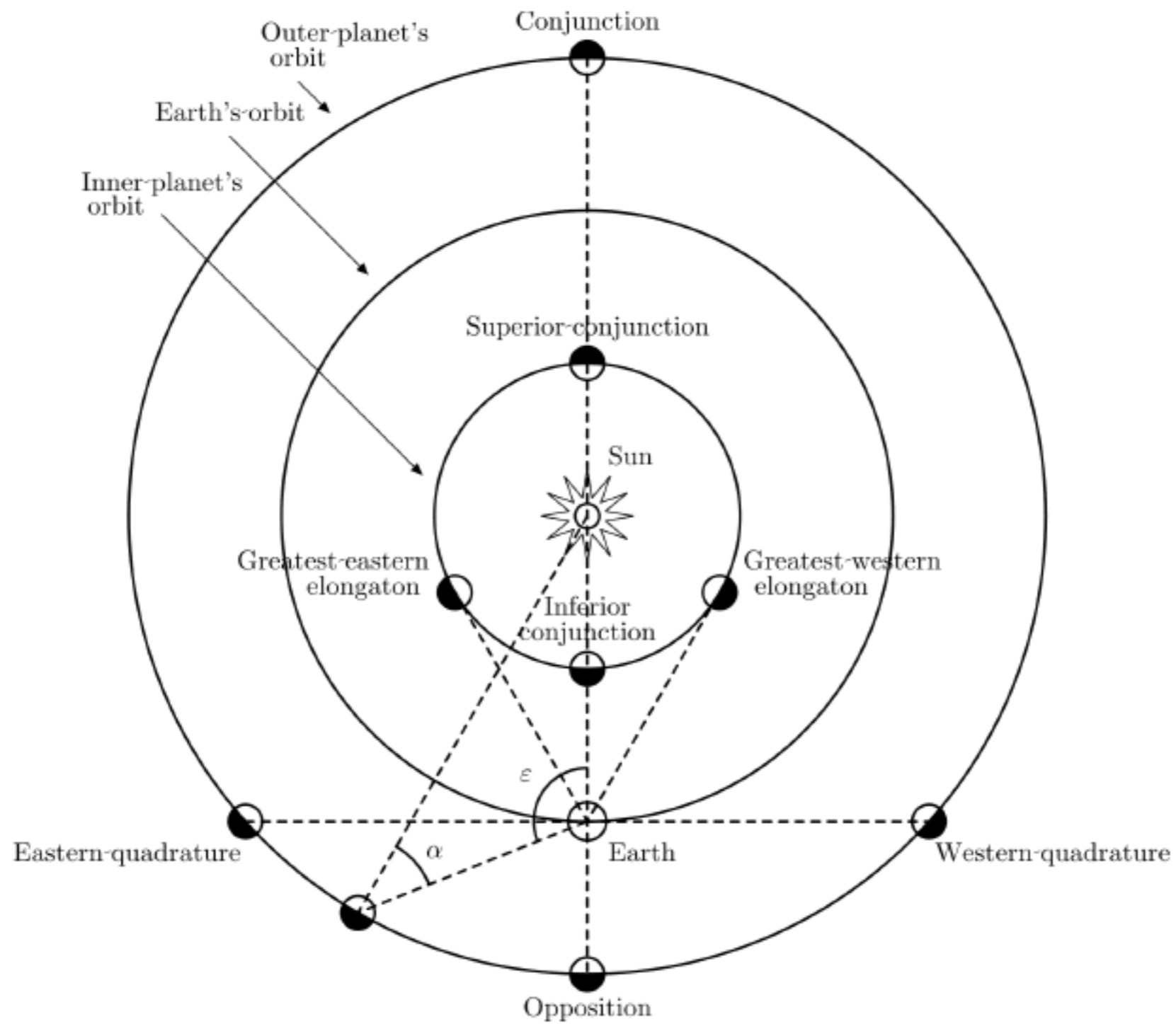
$$\frac{1}{P^S} = \frac{1}{P^*} - \frac{1}{P_{\oplus}}$$

- $P^*_{\text{Moon}}=27.3$ days, $P^S_{\text{Moon}}=29.5$ days

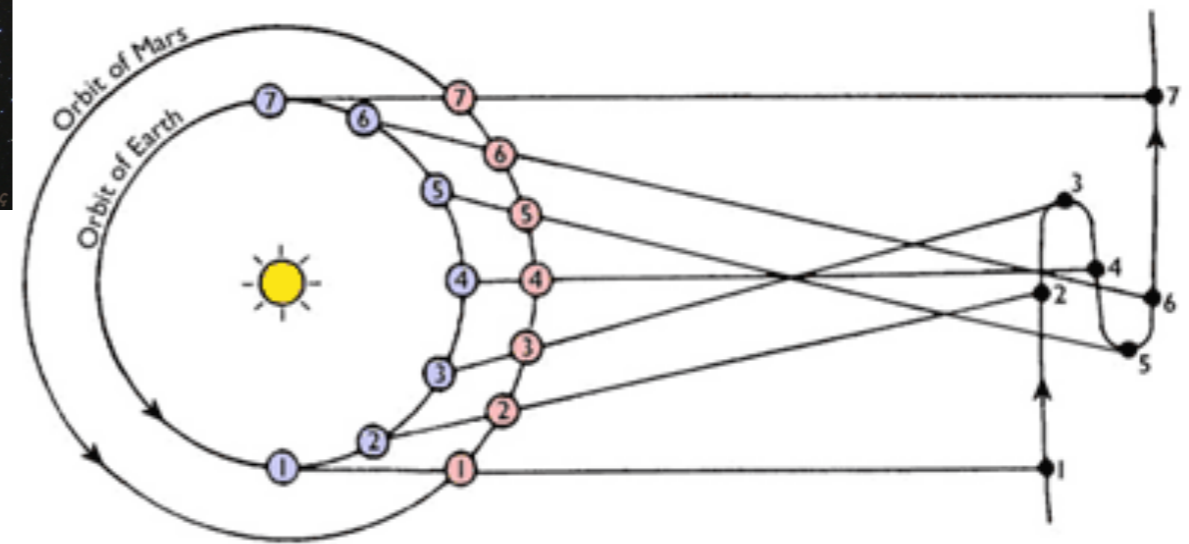
motion of planets

- close to the ecliptic plane

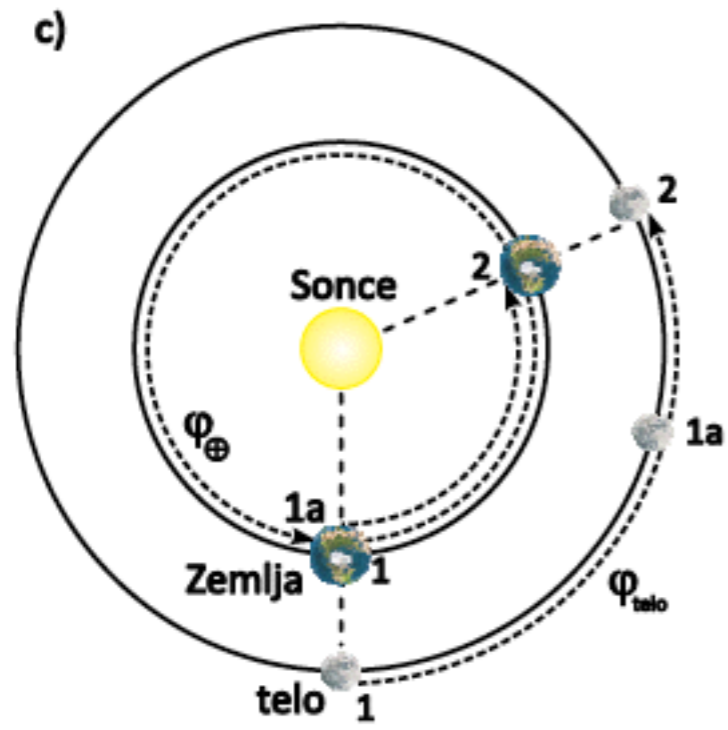




retrograde motion

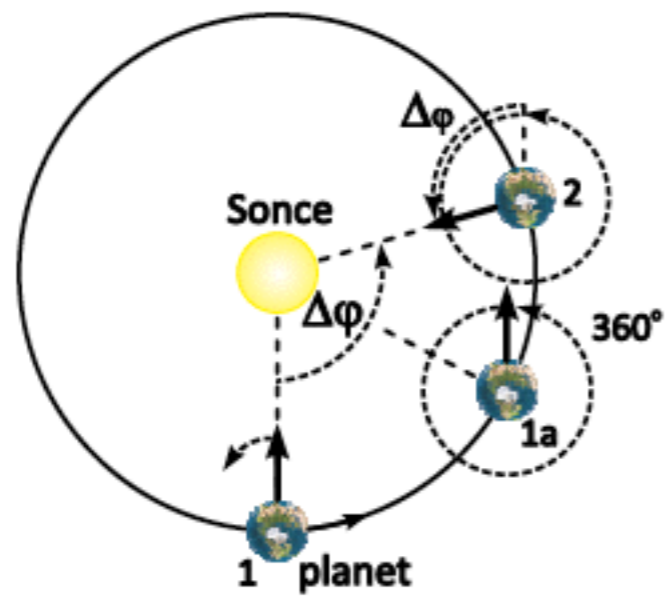


(C)2007-8 Tunc



$$\frac{1}{P^S} = \frac{1}{P_{\oplus}} - \frac{1}{P^*}$$

d)



$$\frac{1}{T^S} = \frac{1}{T^*} - \frac{1}{P_{pl}}$$

